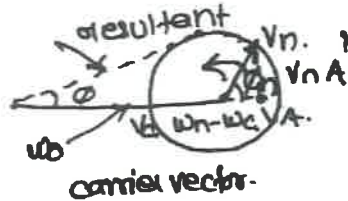


subject: Principles of Analog and Digital Commn

Q1. solve any four [5M each] [20M]

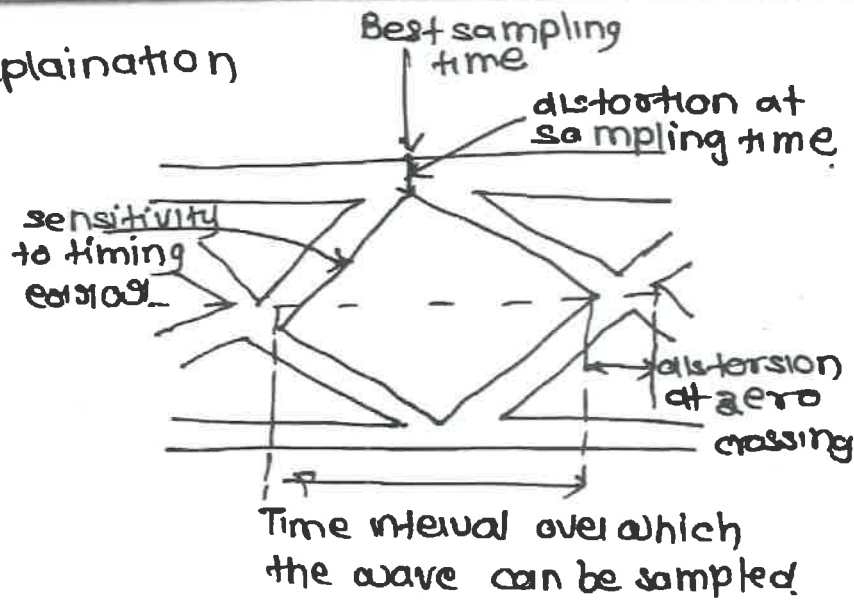
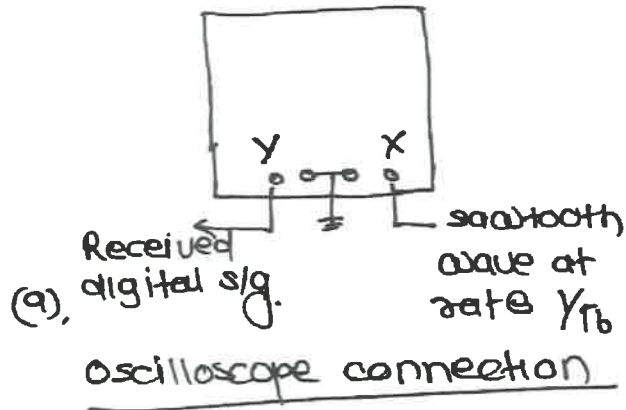
Ans a. Compare Analog and digital communication  
 [5 points 5 marks each]

Ans b. Noise triangle explanation. [5M]



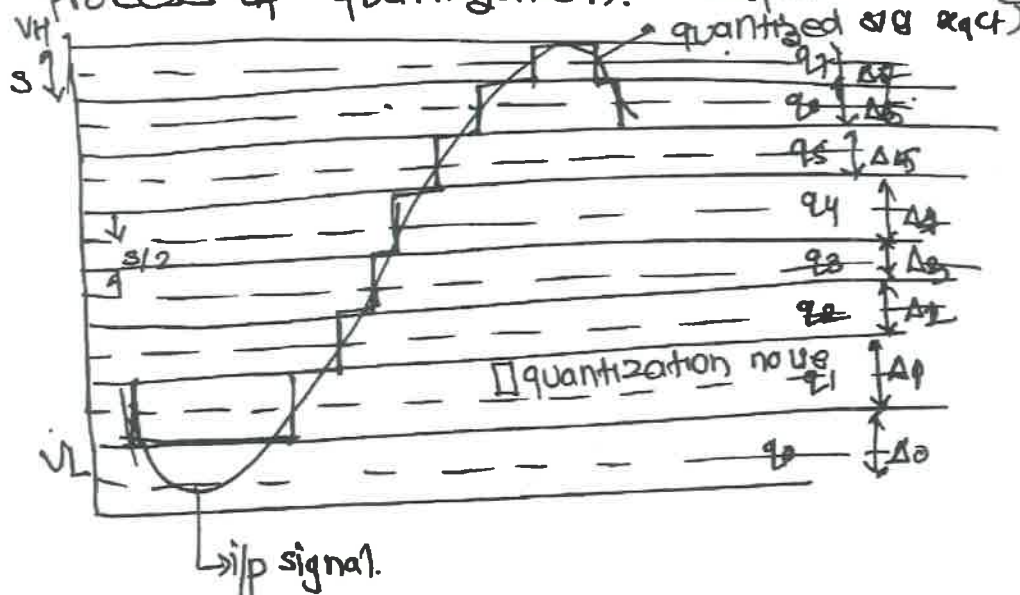
The max. deviation in amp =  $V_n$   
 and max deviation in  $\phi = \phi = \sin^{-1}(V_n/V_c)$

Ans c. Eye pattern. Explanation



(b) Interpretation of eye pattern.


Ans d. process of quantization. explanation [3 + 2diag] = 5M

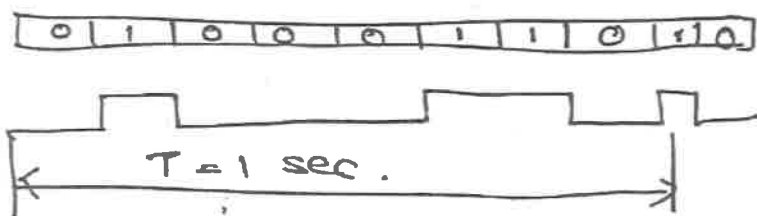




02

Ans e: (a) bitrate:  $\frac{1}{\text{bit interval}}$ .

explanation + waveform  $[2\frac{1}{2}M]$   
 $V_t$ :   
 (A bit stream)  
 (b) baud rate:  $\rightarrow$  explanation + waveform  $[2\frac{1}{2}M]$



Bitrate = 8 bits/sec  
 Baud rate = 8 bauds

Q2. (a) shot noise explanation  $[2\frac{1}{2}M]$   
 Equivalent noise temp "  $[2\frac{1}{2}M]$   
Derivation "  $[2\frac{1}{2}M]$

The noise at the i/p of amp<sup>r</sup> is given by.

$$P_{na} = (F-1) k T_0 B$$

This is noise contributed by the amp<sup>r</sup>.

This noise can be alternately represented by some fictitious temp  $T_{eq}$ .

$$P_{na} = k T_{eq} B$$

$$k T_{eq} B = (F-1) k T_0 B$$

$$\therefore \boxed{T_{eq} = (F-1) T_0}$$

Numerical:-

$$F = 10 \log_{10} F = \text{Anti log of } (0.9) \quad [2\frac{1}{2}M]$$

$$F = 1.99 \approx 2$$

$$T_{eq} = (F-1) T_0 = (2-1) \times 300 = 300^\circ K$$

$$\boxed{T_{eq} = 300^\circ K}$$



Ques 2

Ans b.  $\rightarrow$  (1) Time shifting :-

[5M]

The time shifting property states that if  $x(t)$  and  $X(f)$  form a FT pair then

$$x(t-t_d) \xrightarrow{F} e^{-j2\pi f t_d} X(f)$$

$\therefore$  Here the signal  $x(t-t_d)$  is a time shifted sig. It is the same sig  $x(t)$  only shifted in time.

Proof: 
$$F[x(t-t_d)] = \int_{-\infty}^{\infty} x(t-t_d) e^{-j2\pi f t} dt$$

$$\text{Let } (t-t_d) = \tau$$

$$\therefore t = \tau + t_d$$

$$dt = d\tau$$

$$\therefore F[x(t-t_d)] = \int_{-\infty}^{\infty} x(\tau) e^{-j2\pi f (\tau+t_d)} d\tau$$

$$= e^{-j2\pi f t_d} \int_{-\infty}^{\infty} x(\tau) e^{-j2\pi f \tau} d\tau$$

$$F[x(t-t_d)] = e^{-j2\pi f t_d} X(f)$$

This shows that time shifting does not have any effect on the ampl. spectrum, but there is an additional phase shift of  $-2\pi f t_d$ . which is denoted by term  $e^{-j2\pi f t_d}$ .

(2) Differentiation in time domain [5M]

This property is applicable if and only if the derivative of  $x(t)$  is Fourier transformable

statement :- Let  $x(t) \xrightarrow{F} X(f)$ . and let derivative of

$x(t)$  be Fourier transformable.

$$\frac{d}{dt} x(t) \xrightarrow{F} j2\pi f X(f)$$

$$x(t) = \int_{-\infty}^{\infty} X(f) e^{j2\pi ft} df$$

$$\therefore \frac{d}{dt} x(t) = \frac{d}{dt} \left[ \int_{-\infty}^{\infty} X(f) e^{j2\pi ft} df \right] = \int_{-\infty}^{\infty} X(f) \left( \frac{d}{dt} e^{j2\pi ft} \right) df$$

$$\frac{d}{dt} x(t) = \int_{-\infty}^{\infty} [X(f) \cdot j2\pi f] e^{j2\pi ft} df$$

As per the defn of the inverse F.T the term inside the sq. bracket must be the FT of  $\frac{d}{dt} x(t)$

$$\therefore F \left[ \frac{d}{dt} x(t) \right] = j2\pi f X(f)$$

OR  $\frac{d}{dt} x(t) \xrightarrow{F} j2\pi f X(f)$

Q3(a)  $P_c = 400 \text{ W}$ ,  $R_L = 50 \Omega$ ,  $m = 0.8$ ,  $f_m = 5 \text{ kHz}$ ,  
 $f_c = 1 \text{ MHz}$

(1) carrier amplitude  $V_c$ .

$$\therefore \text{The carrier power } P_c = \frac{V_c^2}{2R_L}$$

$$V_c = \sqrt{2R_L P_c} = \sqrt{2 \times 50 \times 400} = 200 \text{ volts}$$

(2) Expression for AM wave

$$e_{AM} = E_c [1 + m \cos(2\pi f_m t)] \cos(2\pi f_c t)$$

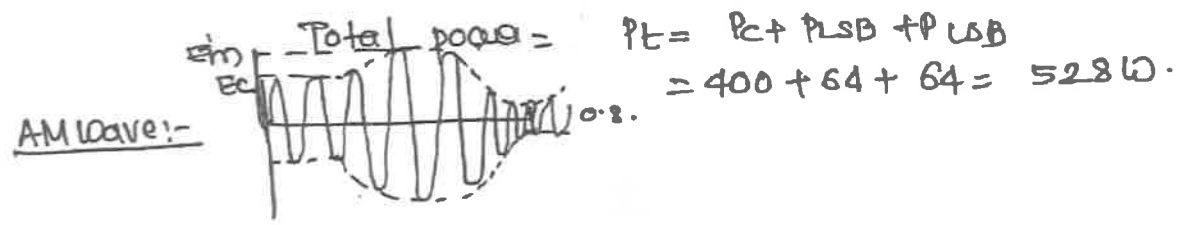
$E_c = 200 \text{ V}$     $m = 0.8$     $f_m = 5 \text{ kHz}$     $f_c = 1 \text{ MHz}$

$$e_{AM} = 200 [1 + 0.8 \cos(2\pi \times 5 \times 10^3 t)] \cos(2\pi \times 1 \times 10^6 t)$$

$$e_{AM} = 200 [1 + 0.8 \cos(10^4 \pi t)] \cos(2\pi \times 10^6 t)$$

(3)  $P_{USB} = P_{LSB} = \frac{m^2}{4} \times P_c = \frac{0.8^2}{4} \times 400 = 64 \text{ W}$ .

$\therefore$  Total sideband power =  $64 \text{ W} + 64 \text{ W} = 128 \text{ W}$ .



Q3.

Ans b. Drawbacks of TRF.

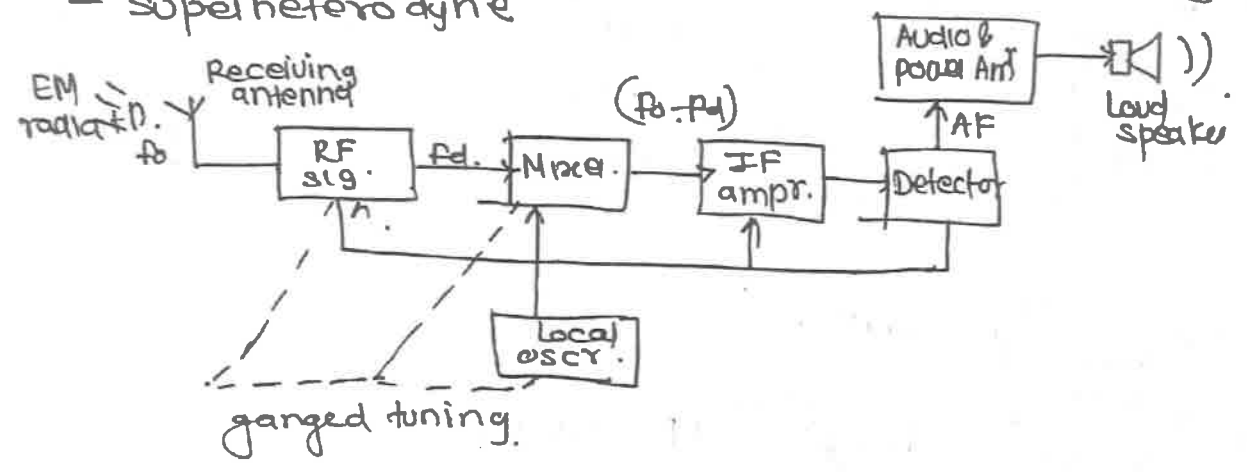
- (1) Instability -
- (2) Variation in BW over the tuning range
- (3) Insufficient selectivity at high frequencies and poor adjacent channel rejection.

[3M]

Explanation in short n.

- Superheterodyne

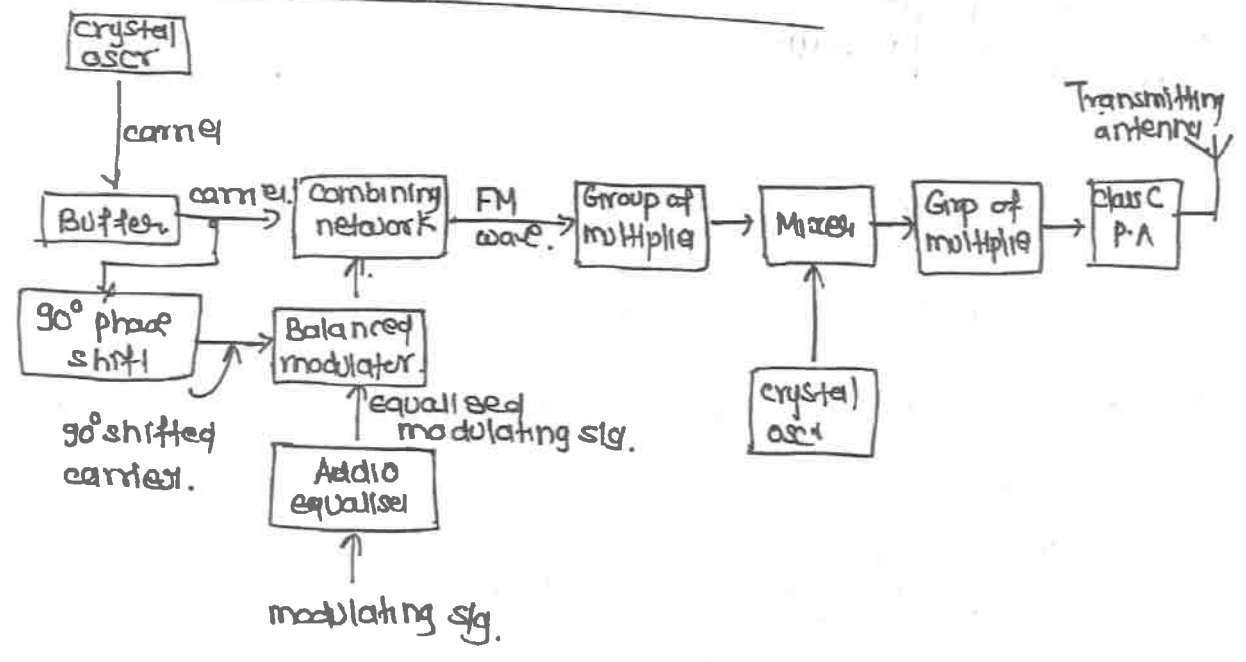
[7M]



operation in detail:

Q.4.

Ans a) Indirect Method of FM generation:



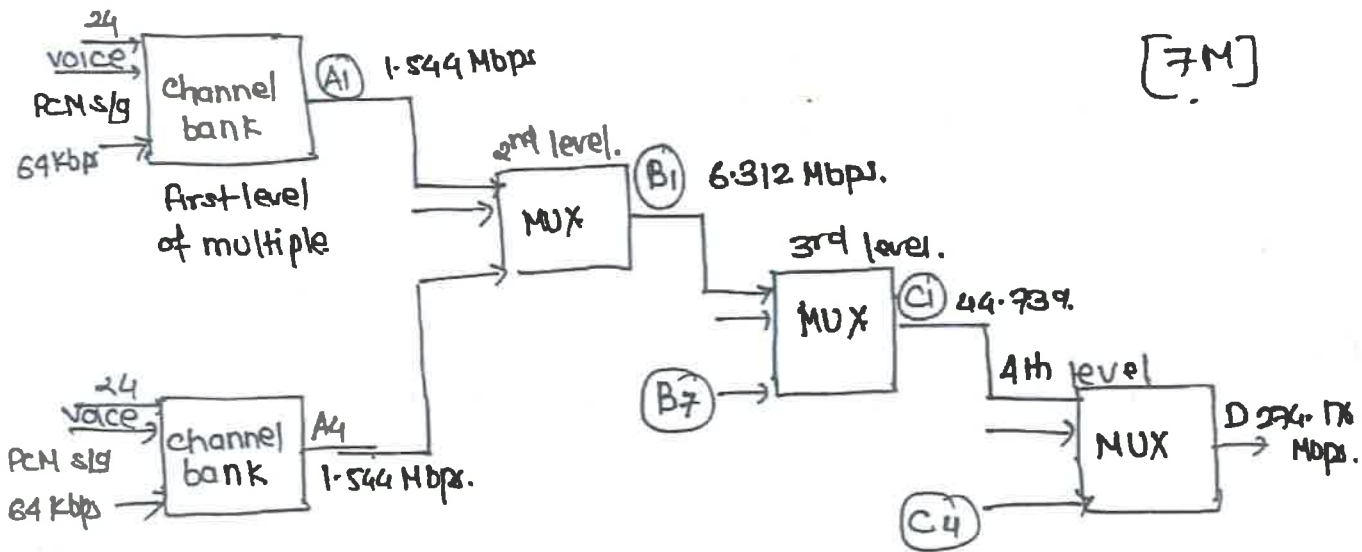
block diagram + explanation of each block

$$[3 + 7M = 10M]$$

Ans 4b Depth of multiplexing  
Multiplexing hierarchy

[1M]  
[2M]

level.	AT and T.		CCIT.	
	No of i/p	o/p rate Mbps.	No of i/p	o/p rate Mbps
First	24	1.544	30	2.048
second	4	6.312	4	8.448
third	7	44.736	4	34.368
fourth	6	274.176	4	139.264

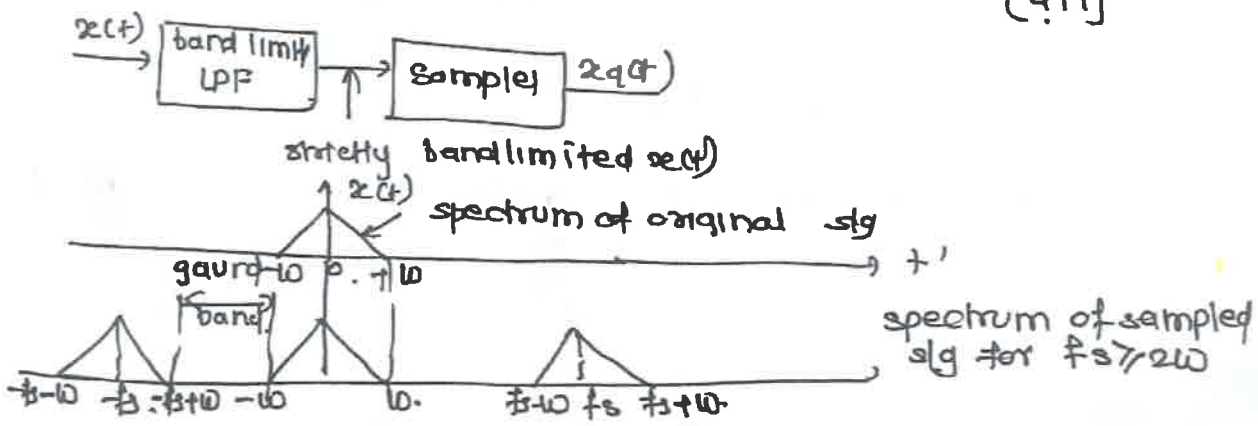


Multiplexing hierarchy for digital comm<sup>n</sup>.  
and explanation.

Q. 9. statement of sampling theorem [2M]

Anti aliasing filter

[4M]





07

4

(b)  $f_1 = 20\text{kHz}$      $f_2 = 82\text{kHz}$     [4M]

BW  $B = f_2 - f_1 = 82 - 20 = 62\text{kHz}$     ①

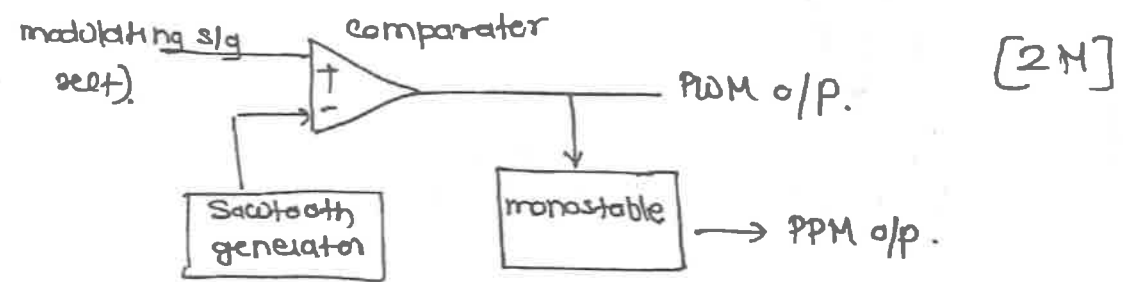
Let us assume  $f_s = 2B = 2 \times 62 = 124\text{kHz}$     ②

from eqn ① and ② we observe that neither  $f_1$  nor  $f_2$  is harmonically related to  $f_s$ . Hence we have to use the general bandwidth sampling theorem ~~stated in preceding~~

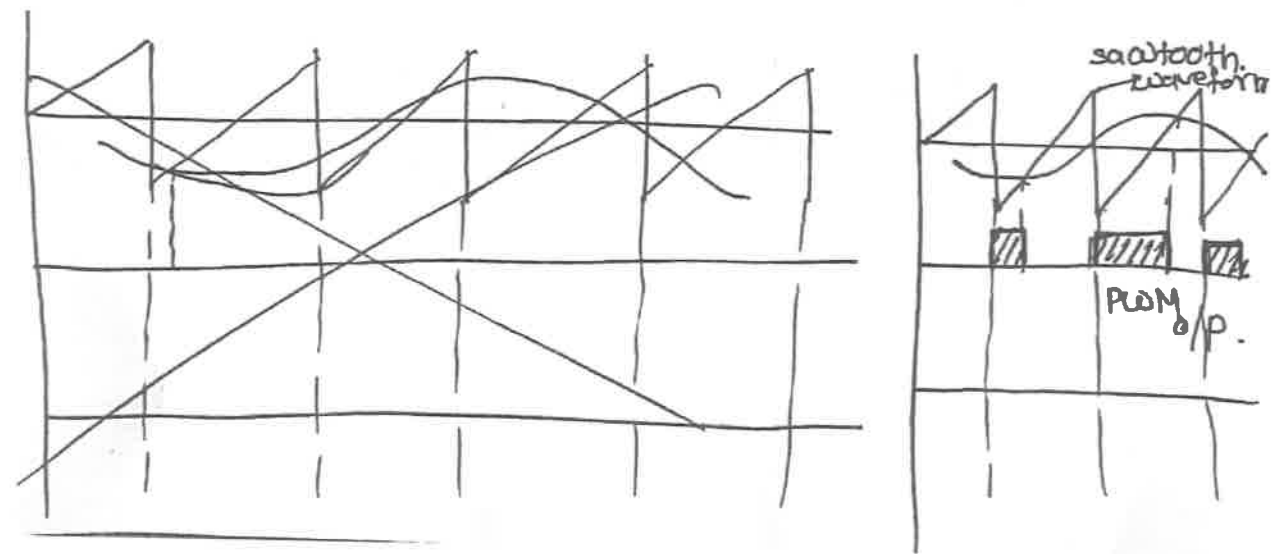
$$K = \frac{f_m}{B} = \frac{82}{62} = 1.32$$

$$f_s = \frac{2f_m}{K} = \frac{2 \times 82}{1} = 164\text{kHz}$$

Ans c. PWM generation. with working



PWM generator operation and explanation. → [5M]  
waveform → [3M]

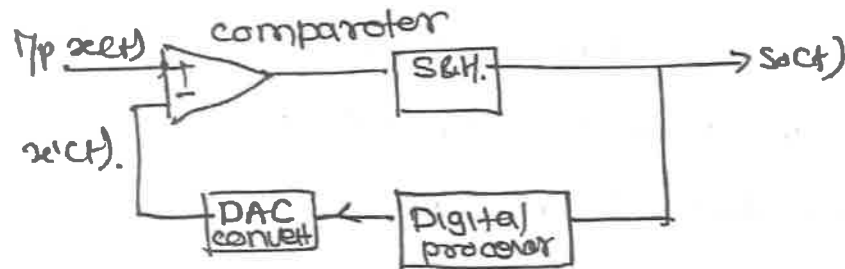


Ques 6

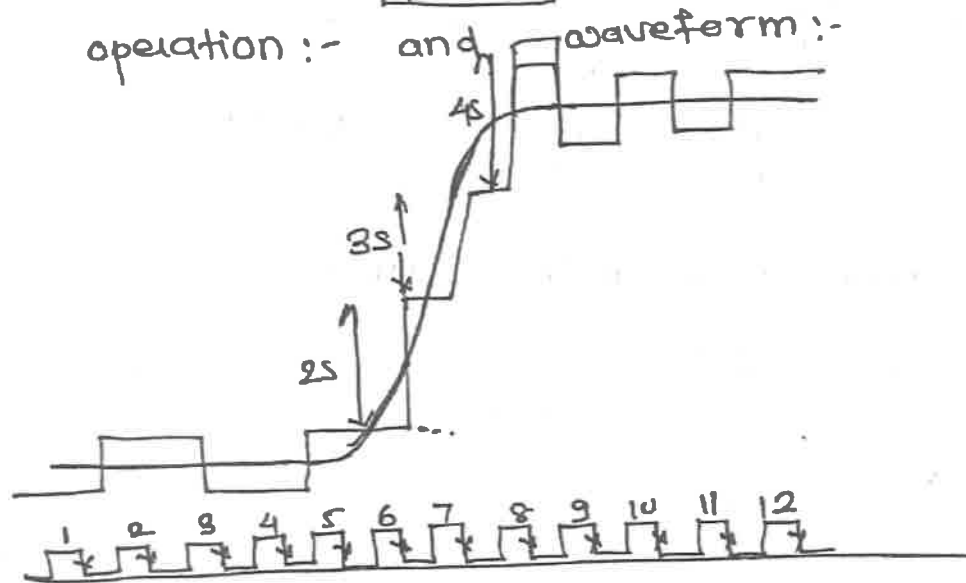
(a) Explanation for how ADM is better than Linear delta modulation. [2M]

ADM Transmitter

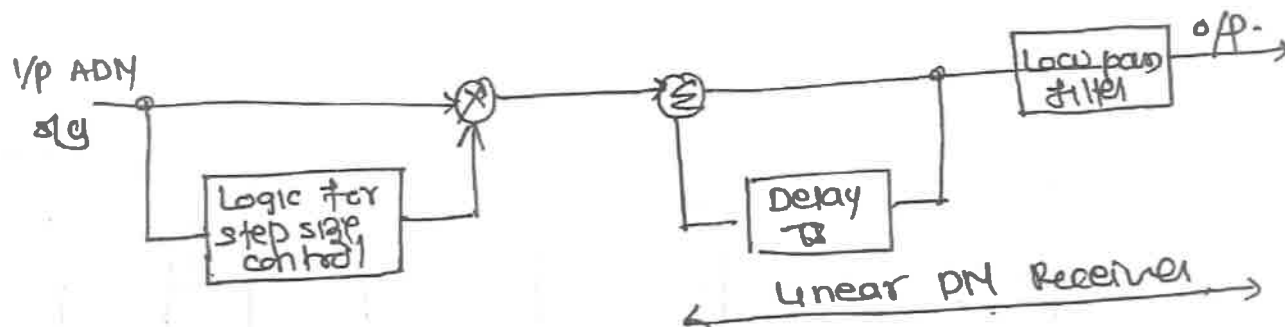
[6 + 2M]



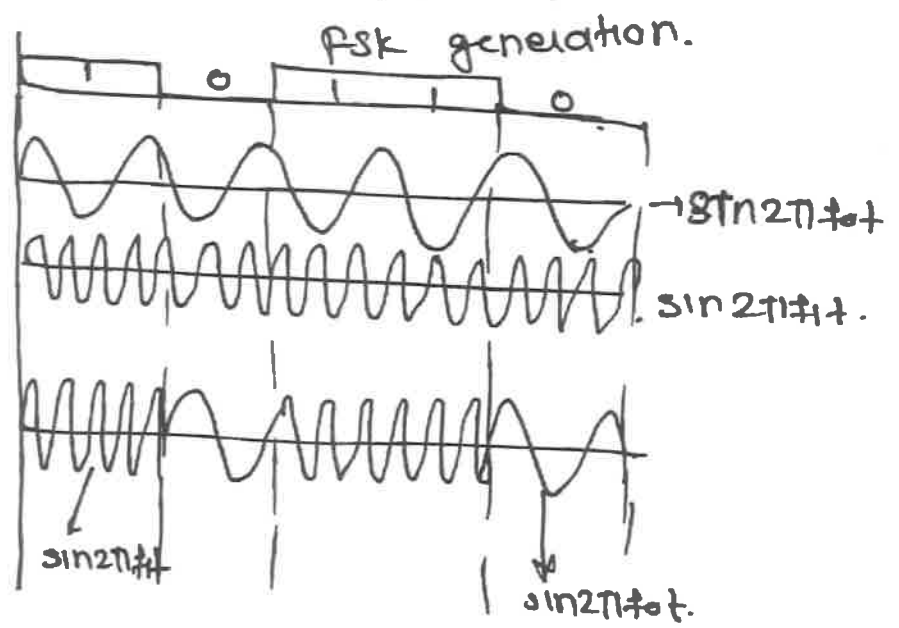
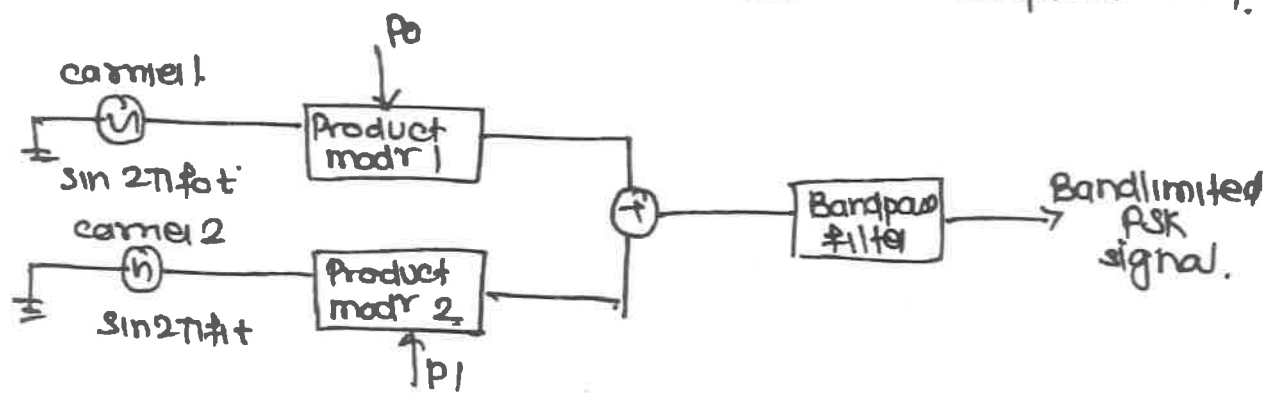
operation :- and waveform :-



ADM Receiver :-

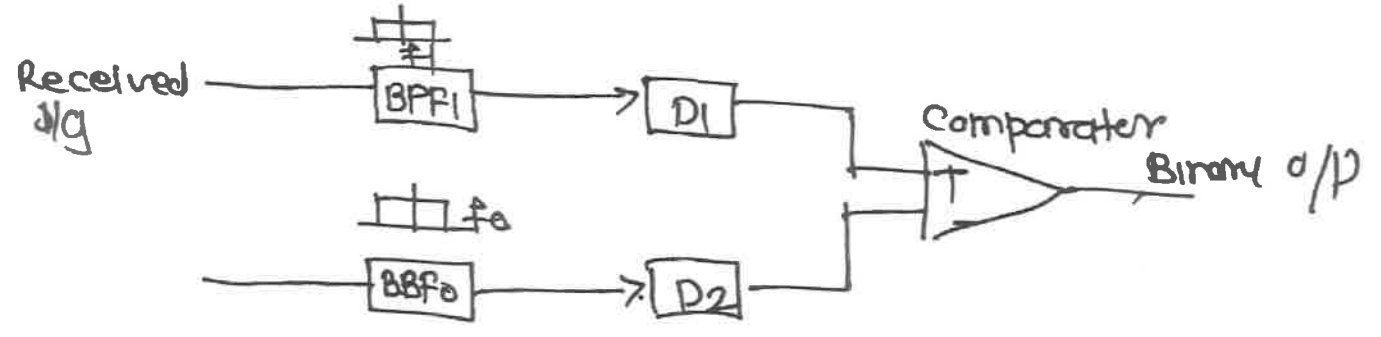


Ans 6. b. FSK generation & Modulation Reception & M.



Fsk waveform.

fsk receiver.



with explanation

