

Q1] a) Write minimum five points of difference

b) Draw diagram and explain.

$$c) \frac{E(s)}{G(s)} = \frac{\cancel{R} + \cancel{SL} + \cancel{1/SC}}{\cancel{R}} \frac{R}{R + SL + 1/SC}$$

$$d) k_p = \lim_{s \rightarrow 0} G(s)H(s) \quad k_p = \infty$$

$$k_v = \lim_{s \rightarrow 0} sG(s)H(s) \quad k_v = \infty$$

$$k_a = \lim_{s \rightarrow 0} s^2G(s)H(s) \quad k_a = 0.5$$

e) Definitions of both systems with explanation.
Examples of both the systems

$$Q2] a) \frac{C(s)}{R(s)} = \frac{G_1 G_2 G_3 G_4}{1 + G_3 G_4 H_3 + G_2 G_3 H_2 + G_1 G_2 G_3 G_4 H_1}$$

$$b) \frac{C(s)}{R(s)} = \left[G_1 G_2 G_3 G_9 (1 + G_5 H_2 + G_8 H_2) + G_1 G_7 G_6 G_9 + G_1 G_7 G_3 G_9 (1 + G_5 H_2) + G_4 G_5 G_6 G_9 (1 + G_2 H_1 + G_7 H_1) + G_4 G_8 G_6 G_9 (1 + G_2 H_1) + G_4 G_8 G_3 G_9 \right]$$

$$\left[1 + G_2 H_1 + G_5 H_2 + G_7 H_1 + G_8 H_2 + G_2 G_5 H_1 H_2 + G_5 G_7 H_1 H_2 + G_2 G_8 H_1 H_2 \right]$$

Q3] a) Draw block diagram (03)

Explain working (03)

Advantages (01)

Derivation (03)

b) Draw set up and define (02)

Frequency finding formula & example (04)

Phase finding formula & example (04)

Q4] a) $k / s(s+4)(s+2)$

Breakaway pt exists between 0 and -2.

$$\theta_1 = 60^\circ, \theta_2 = 180^\circ, \theta_3 = 300^\circ$$

$$\text{Centroid} = -2$$

$$\text{Breakaway points} = -0.845, -3.15$$

$s = -0.845$ valid breakaway point.

$k_{mar} = 48$; $0 < k < 48 \rightarrow$ absolutely stable

$k_{mar} = 48 \rightarrow$ system marginally stable oscillating @ 2.82 rad/sec

$48 < k < \infty$ system unstable.

b) Row of zeroes

$$A(s) = 2s^4 + 12s^2 + 16 = 0$$

$$\frac{dA}{ds} = 8s^3 + 24s = 0.$$

NO sign change, so system may be stable.

But as there is a row of zero, system will

be (i) marginally stable or (ii) unstable

To examine this solve $A(s) = 0$

$$2s^4 + 12s^2 + 16 = 0$$

$$s^4 + 6s^2 + 8 = 0$$

$$s = \pm j\sqrt{2} \text{ and } s = \pm j2$$

Non repeated roots on imaginary axis.

Hence system is marginally stable.

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c) Draw the diagram

Explain Delay time T_d , Rise time T_r ,
Peak time T_p , Peak overshoot M_p and
settling time T_s .

Q5 a) (i) Arrange $G(s)H(s)$ in time constant form

(ii) Factors are

a) $k=4$, b) 2 poles at origin $1/s^2$

c) simple zero $1 + \frac{s}{2}$, $T_1 = 1/2$, $\omega_{c1} = \frac{1}{T_1} = 2 \text{ rad/sec}$

d) simple pole $\frac{1}{1 + s/10}$, $T_2 = \frac{1}{10}$, $\omega_{c2} = \frac{1}{T_2} = 10 \text{ rad/sec}$

e) simple pole $\frac{1}{1 + s/40}$, $T_3 = 1/40$, $\omega_{c3} = \frac{1}{T_3} = 40 \text{ rad/sec}$

(iii) a) For $k=4$, $20 \log k = 20 \log 4 = 12 \text{ dB}$

b) 2 poles at origin $1/s^2$ straight line of slope
 -40 dB/dec passing through point $\omega = 1$ 0 dB .
Starting slope at -40 dB/dec .

c) The resultant of a & b continue till
 $\omega_{c1} = 2$. At $\omega_{c1} = 2$ simple zero ($+20 \text{ dB/dec}$)
Resultant $-40 + 20 = -20 \text{ dB/dec}$. This
is till $\omega_{c2} = 10$.

d) At $\omega_{c2} = 10$, simple pole (-20 dB/dec)
 $-20 - 20 = -40 \text{ dB/dec}$. This is
till $\omega_{c3} = 40$

e) At $\omega_{c3} = 40$, simple pole (-20 dB/dec)
 $-40 - 20 = -60 \text{ dB/dec}$. This continues
till $\omega \rightarrow \infty$

Phase Angle

ω	$1/(\omega)^2$	$+\tan^{-1}\omega/2$	$-\tan^{-1}\omega/10$	$-\tan^{-1}\omega/40$	ϕ_r
0.2	-180°	$+5.7^\circ$	-1.14°	-0.28°	-175.72°
2	-180°	$+45^\circ$	-11.3°	-2.86°	-149.16°
10	-180°	$+78.6^\circ$	-45°	-14.03°	-160.43°
20	-180°	$+84.28^\circ$	-63.43°	-26.56°	-185.71°
50	-180°	$+87.7^\circ$	-78.6°	-51.3°	-222°
100	-180°	$+88.85^\circ$	-84.28°	-68.19°	-233.54°
∞	-180°	$+90^\circ$	-90°	-90°	-270°

$$\omega_{g\pm} = 2.1 \text{ rad/sec}$$

Plot on semilog paper.

$$\omega_{PL} = 6.35 \text{ rad/sec}$$

$$GM = +21 \text{ dB}, PM = +38^\circ$$

System stable

$$b) \quad 16.8 - 5k \quad k > 0 \quad 16.8 - 5k > 0$$

$$4.2 \quad k < 3.36$$

Range of k $0 < k < 3.36$

c) Write 5 factors.

Q6) a) Draw diagram and explain working.

b) Draw block diagram and explain with working of flipflops and AND gates.

c) Draw block diagram and explain.

d) zeroes $s = -2$

$$\text{poles } s = 0; s = -1 \pm j1; s = -3; s = -4$$

Plot pole-zero

$$s(s^2 + 2s + 2)(s^2 + 7s + 12) = 0 \text{ (solve)}$$